Recitation #8

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Question #1	Consider	the	following	game
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	\mathbf{L}	\mathbf{C}	\mathbf{R}
U	0,2	3,1	2,3
М	1,4	2,1	4,0
D	2,1	4,4	3,2

Find the NE using ISD (Iterated Elimination of Strictly Dominated Strategies)

Question #2 (Risk-Lover Version of Q3 in Recitation #7) Suppose the agent with initial wealth \$2 faces the following gamble. He is expected to lose \$2 with probability $\frac{1}{4}$, lose \$1 with probability $\frac{1}{4}$, and gain \$2 with probability $\frac{1}{2}$. Assume the utility-of-wealth function is w^2

Calculate the expected utility (EU), the Certainty Equivalence (CE), and the amount of money he is willing to get paid for not participating such gamble.

Quesion #3 (Insurance) An individual with initial wealth \$10000 expects a house fire to occur with probability q, which will cause \$5000 in damages. He can buy as much insurance as he wants at a price of p per dollar of insurance (so if he buys \$I of insurance, he must pay a premium of pI, and the insurance company will pay him I if a fire occurs)

Assume that the individual is risk-averse, and has utility-of-wealth $u(w) = \ln w$

a) Write out his expected utility if he purchases I insurance

b) Show that if the insurance is fair in the sense that p = q, then the individual will purchase full insurance.

Question #4 Consider the following two players game between P1 and P2: A fair coin will be flipped. If it lands head, P1 gives one dollar to P2; if it lands tails, P2 gives m to P1. Both players start out with \$1, and their utility of wealth functions are $u_1(w) = w^2$ for P1 and $u_2(w) = \sqrt{w}$ for P2

- a) Which of P1, P2 is risk-loving, and which is risk-averse
- b) Write the equation describing the **lowest** amount m for which P1 will play the game
- c) Write the equation describing the **highest** amount m for which P2 will play the game

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